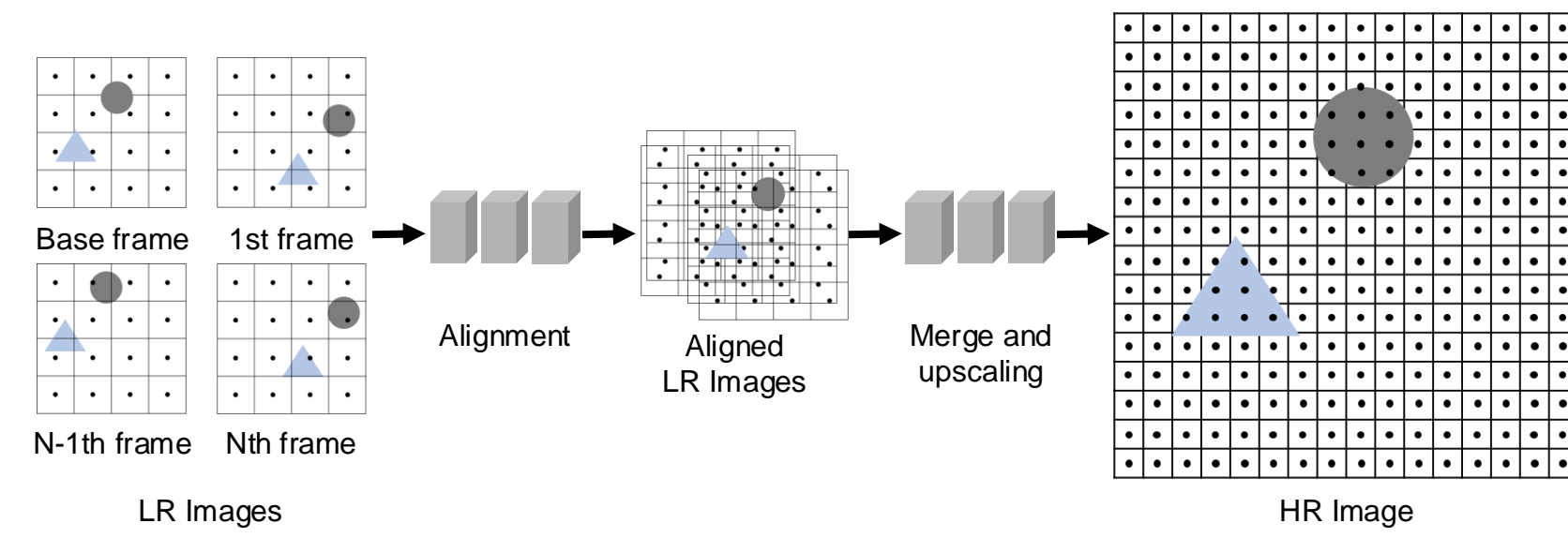


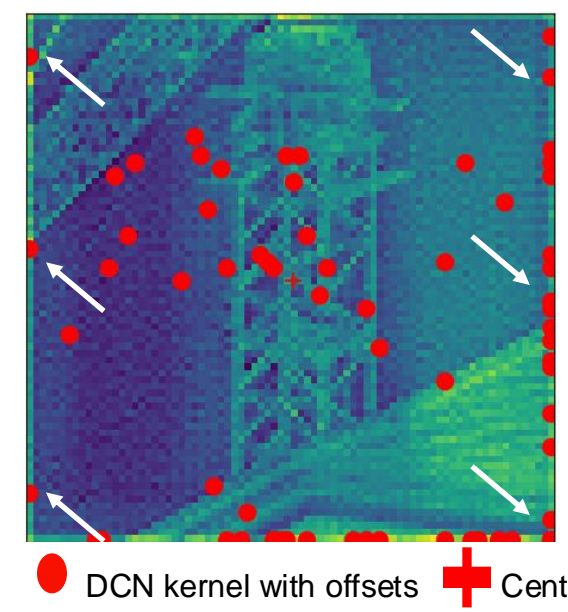
Introduction

Burst Super-Resolution

Burst super-resolution aims to restore high-resolution image from burst low-resolution images.

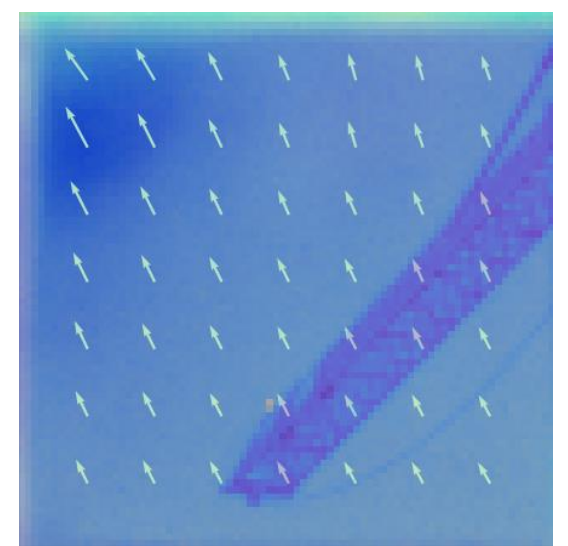


Motivation 1 – Limitation of Deformable Convolution Network



Deformable Convolution Network (DCN)

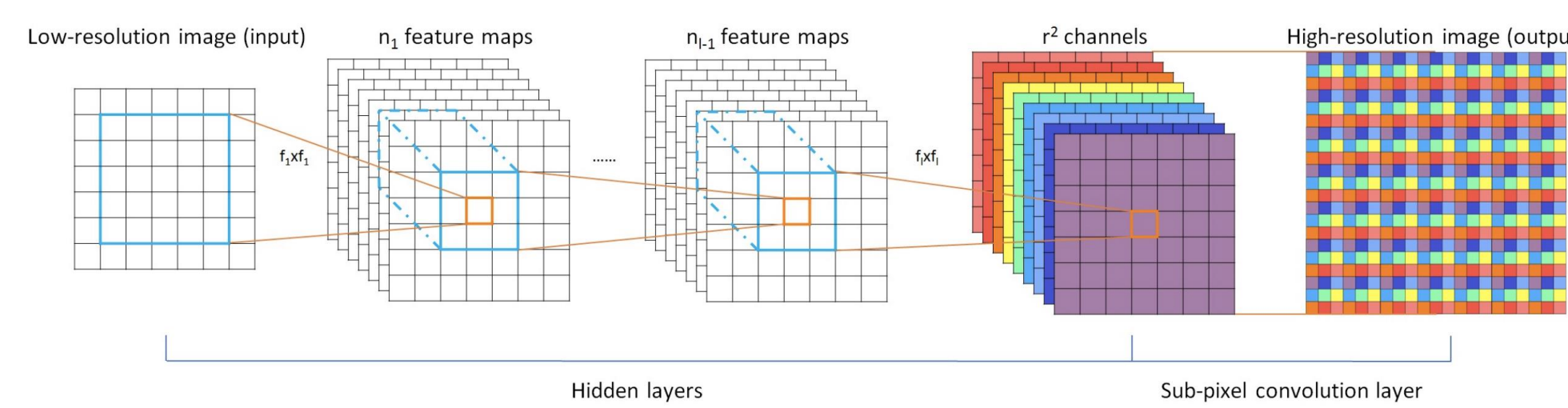
- Can't cover global alignment.
- Must use pre-defined number of kernels regardless of pixel correlation.



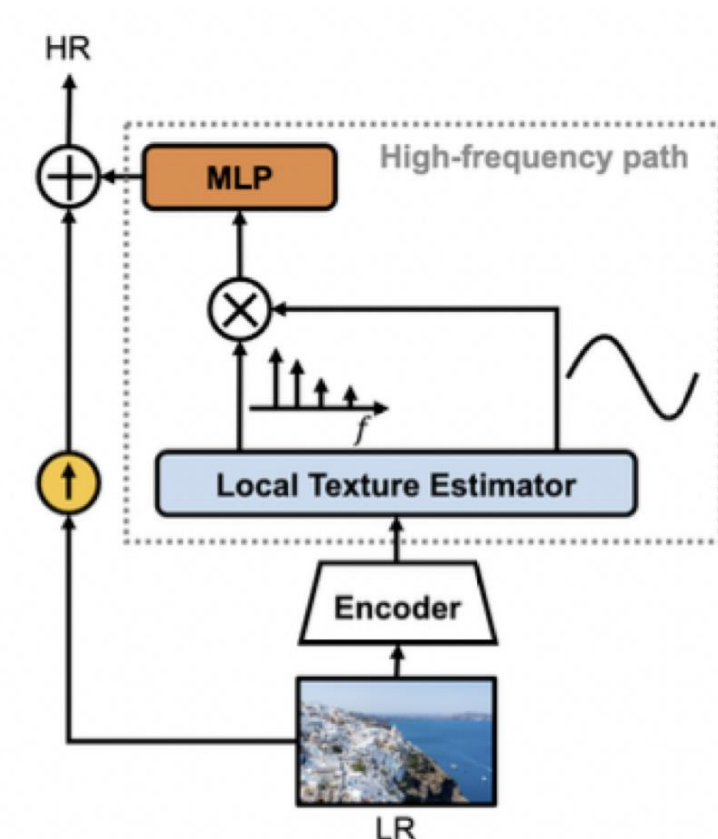
Optical Flow based warping

- Can cover global alignment.
- Based on the pixel correlation, **use only the necessary information**

Motivation 2 – Inflexible Super Resolution Scales



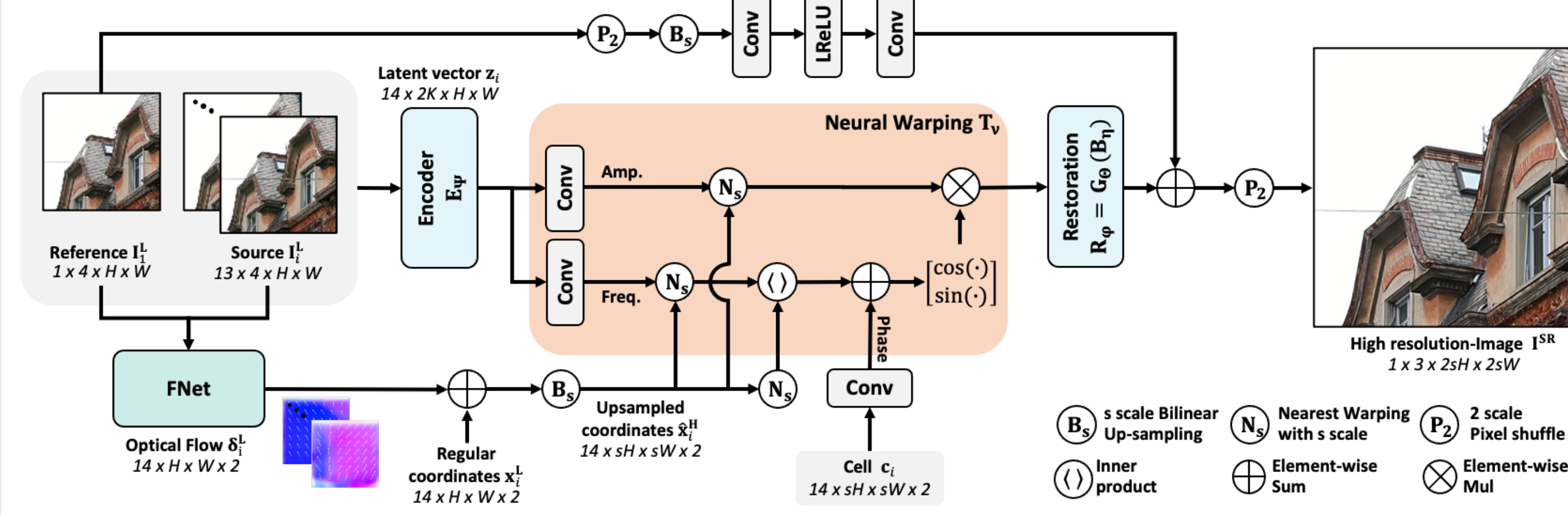
Recent researches utilize Pixel Shuffle method as up-sampler. Pixel Shuffle can reduce computational efficiency, but **Pixel Shuffle limits scale factors of up-sampling.**



To address fixed scale factors, using **Implicit Neural Representation (INR)**, which represents images in a continuous domain, is the best approach.

However, an MLP with ReLUs tends to be biased towards learning low-frequency components. We addressed this issue by **estimating Fourier information**, motivated by LTE.

Method



Burst Super-Resolution

Given a multiple low-resolution images $I_i^L \in \mathbb{R}^{N \times 4 \times H \times W}$, restore high-resolution image $I^{SR} \in \mathbb{R}^{1 \times 3 \times sH \times sW}$.

$$I^{SR} = \text{BurstM}(I_i^L), \quad i = 1, \dots, N$$

Optical flow estimation

The coordinates $\hat{x}_i^H \in \mathbb{R}^{sH \times sW \times 2}$ are converted from estimated optical flow offsets with s scale bilinear interpolation.

$$\hat{x}_i^H = B_s(FNet(I_i^L) + x_i^L), \quad i = 1, \dots, N$$

where $FNet(\cdot)$ is optical flow estimator, B_s is bilinear interpolation with s scale

Neural warping

Warping multiple LR images by estimated coordinates \hat{x}_i^H on **Fourier space**.

$$F_i = N_s(g_f(z_i), \hat{x}_i^H) : \text{Frequency estimator}$$

$$A_i = N_s(g_a(z_i), \hat{x}_i^H) : \text{Amplitude estimator}$$

$$p\mathbf{h}_i = g_p(c_i) : \text{Phase estimator}$$

$$m_i = A_i \odot \begin{bmatrix} \cos(\pi(\langle F_i, \delta_i \rangle + p\mathbf{h}_i)) \\ \sin(\pi(\langle F_i, \delta_i \rangle + p\mathbf{h}_i)) \end{bmatrix}, \quad i = 1, \dots, N,$$

$$\text{where } z_i = E_\psi(I_i^L), \quad \delta_i = \hat{x}_i^H - x_i^H$$

Reconstruction & Skip connection

Reconstruct from multiple LR images to HR image with skip connection.

$$\mathbf{h} = R_\varphi(\{m_i\}_{i=1}^N) = G_\theta(B_\eta(\{m_i\}_{i=1}^N))$$

$$I^{SR} = P_2(\mathbf{h} + Q_\xi(I_1^L))$$

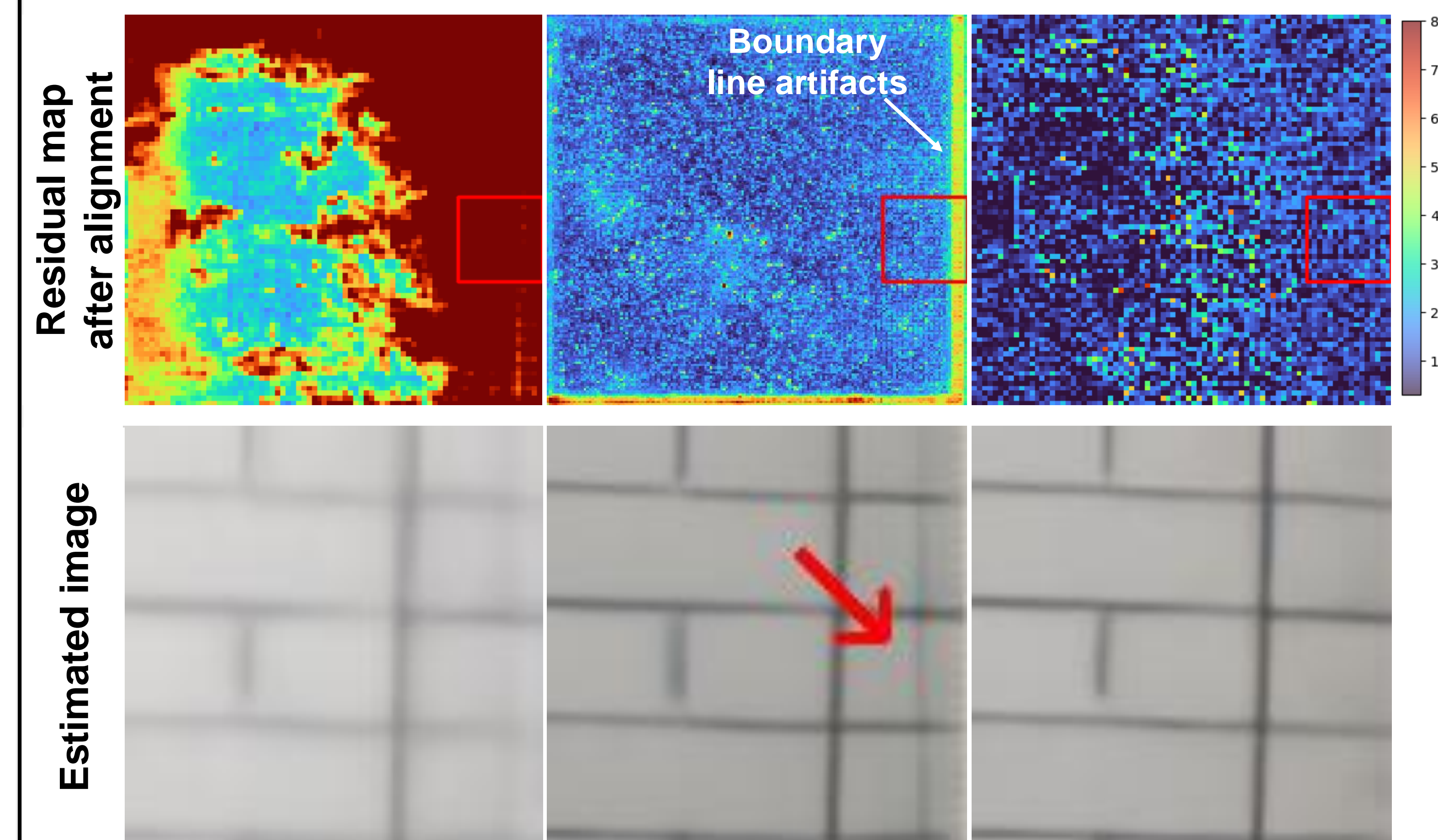
where $Q_\xi(\cdot)$ is skip connection network, P_2 is x2 pixel shuffle

Results

Quantitative comparison

	# Params. M	SyntheticBurst				BurstSR			
		x2		x3		x4			
		PSNR	SSIM	PSNR	SSIM	PSNR	SSIM		
Bicubic	-	38.30	0.948	33.94	0.886	33.02	0.862	42.55	0.962
DBSR [3]	13.01	40.51	0.965	40.11	0.959	40.76	0.959	48.05	0.984
MFIR [4]	12.13	41.25	0.971	41.81	0.972	41.56	0.964	48.33	0.985
BIPNet [†] [11]	6.7	37.58	0.928	40.83	0.955	41.93	0.960	48.49	0.985
GMTNet [†] [31]	-	-	-	-	-	42.36	0.961	48.95	0.986
Burstormer [†] [12]	2.5	37.06	0.925	40.26	0.953	42.83	0.973	48.82	0.986
BSRT-Small [†] [30]	4.92	40.64	0.966	42.30	0.975	42.72	0.971	48.48	0.985
BSRT-Large [†] [30]	20.71	40.33	0.965	42.87	0.979	43.62	0.975	48.57	0.986
BurstM (Ours)	14.0	46.01	0.985	44.79	0.982	42.87	0.973	49.12	0.987

Qualitative comparison (BurstSR - Real world data x4)



Burstormer

BSRT-L

BurstM

(DCN & transformer-based method)

(Ours)

Inference time comparison

Scale : x4	BIPNet [†]	Burstormer [†]	BSRT-S [†]	BSRT-L [†]	BurstM
Params. (M)	6.7	2.5	4.92	20.71	14.9
Runtime (ms)	20.8	20.8	148.0	266.1	11.6
PSNR (dB)	48.49	48.82	48.48	48.57	49.12

[†] indicates Transformer-based method.

Conclusion

The proposed BurstM overcomes both quality and computational complexity for real-world datasets by utilizing INR and Optical flow.